Engineering Mathematics II (09820MS 201201) Spring, 2010

Class Time: T3T4 R3R4

Class Room: R511, Eng. IV

Instructor: Ta-Jen Yen (嚴大任)

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Textbooks: Advanced Engineering Mathematics (2nd edition), *Michael D*.

Greenberg, 滄海書局

Grading: Quizzes (x3, 25%)

Midterms (x2, 50%)

Final (25%)

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顏艾萍 ireneyen928@gmail.com

TA Hours 7-9 pm, Wednesday (R107, MSL Building)

Content:

This subject is comprised of five parts within two semesters:

- 1. Ordinary Differential Equations
- 2. Linear Algebra
- 3. Multivariable Calculus and Field Theory
- 4. Fourier Methods and Partial Differential Equations
- 5. Complex Variable Theory

In the second semester, we focus on "Multivariable Calculus and Field Theory", "Fourier Methods and Partial Differential Equations", and "Complex Variable Theory" to cover the rationale and of particular the engineering applications. The detailed schedule of this semester is listed below:

Class Schedule of Engineering Mathemetics (2010S)

Week	Date	Chapters	Content
1	2/22 2/26	SYLLABUS	Syllabus
1	2/23 - 2/26		particial dervatives, chain differentiation
2	3/2 - 3/5	Ch. 13. DIFFERENTIAL CLACULUS OF FUNCTIONS OF SEVERAL VARIALBES	implicit fxns and Jacobians
			maxima and minima, Leibniz rule
3	3/9 - 3/12	Ch. 14. VECTORS in 3-SPACE	dot and cross product, multiple products
			differentiation of a vector fxn of a single vairable
4	3/16 - 3/19	Ch. 15 CURVES, SURFACES, AND VOLUMES	Quiz (1/3): ch. 13 - 14
			curve and line integrals, double and triple integrals
			surfaces & volumes, surface and volume integrals
5	3/23 - 3/26	Ch. 16. SCALAR AND VECTORS FIELD THEORY	divergence, gradient, curl, Laplacian
			Non-Cartesian systems, divergence theorem
6	3/30 - 4/2		Stokes's theorem, irrotational fields
			4/1 & 4/2 : holidays
7	4/6 - 4/9	Ch. 17. FOURIER SERIES, FOURIER	FS of a periodic fxn, half-/quarter-range expansion
		INTEGRAL, FOURIER TRANSFORM	SL theory, Fourier integral
8	4/13 - 4/16	MIDTERM (1/2)	Multivariable Calculus and Field Theory: Ch. 13 - 16
			Fourier transform
9	4/20 - 4/23		definition about PDE, seperation of variables
10	4/27 - 4/30	Ch. 18. DIFFUSION EQUATION	FT and LT, the method of images
			numerical solution
11	5/4 - 5/7	Ch. 19. WAVE EQUATION	Quiz (2/3): ch. 17 - 18
			seperation of variables: vibration string and membrane
			d'Alembert's solution
12	5/11 - 5/14	Ch. 20. LAPLACE EQUATION	seperation of variables: Cartesian (and non-) coordinates
			numerical solution
13	5/18 - 5/21	MIDTERM (2/2)	Fourier Mehtods and PDE: Ch. 17 - 20
			complex numbers and plane, elementary fxns
14	5/25 - 5/28	Ch. 21. FUNCTIOS OF A COMPLEX VARIABLE	polar form, additional elementary fxns
			Multi-valuedness, differential calculus and analyticity
15	6/1 - 6/4	Ch. 22. COMFORMAL MAPPING	conformal mapping, bilinear transformation
			additional mappings and applications, more general BSc
16	6/8 - 6/11	Ch. 23. THE COMPLEX INTEGRAL CLACULUS	Quiz (3/3): ch. 21 - 22
			comples integral, Cauchy's theorem
			complex integral, Cauchy's theorem complex integral calculus, Cauchy integral formula
17	6/15 - 6/18	CL 24 TAYLOR SERVES LAURENT	complex integral calculus, Cauchy integral formula
		Ch. 24. TAYLOR SERIES, LAURENT SERIES, AND THE RESIDUE THEOREM	residue theorem
		DEMES, AND THE RESIDUE THEOREM	residue dieoteni
18	6/21 - 6/25	FINAL EXAM	Complex Variable Theory: Ch. 21 - 24

This schedule is subject to being adjusted based on actual intruction progess and students' feedback.